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Measurements of the $\Lambda_b^0 \rightarrow J/\psi \Lambda$ decay amplitudes and the $\Lambda_b^0$ polarisation in $pp$ collisions at $\sqrt{s} = 7$ TeV

LHCb Collaboration

1. Introduction

For $\Lambda_b^0$ baryons originating from energetic $b$-quarks, heavy-quark effective theory (HQET) predicts a large fraction of the transverse $b$-quark polarisation to be retained after hadronisation [1,2], while the longitudinal polarisation should vanish due to parity conservation in strong interactions. For $\Lambda_b^0$ baryons produced in $e^+ e^- \rightarrow Z^0 \rightarrow b \bar{b}$ transitions, a substantial polarisation is measured [3–5], in agreement with the $Z^0 b \bar{b}$ coupling of the Standard Model (SM). There is no previous polarisation measurement for $\Lambda_b^0$ baryons produced at hadron colliders. The transverse polarisation is estimated to be $0(10\%)$ in Ref. [6] while Ref. [7] mentions it could be as large as 20%. However, for $\Lambda$ baryons produced in fixed-target experiments [8–10], the polarisation was observed to depend strongly on the Feynman variable $x_F = 2p_t/\sqrt{s}$, $p_t$ being the $\Lambda$ longitudinal momentum and $\sqrt{s}$ the collision centre-of-mass energy, and to vanish at $x_F \approx 0$. Extrapolating these results andtaking into account the very small $x_F \approx 0.02$ value for $\Lambda_b^0$ produced at the Large Hadron Collider (LHC) at $\sqrt{s} = 7$ TeV, this could imply a polarisation much smaller than 10%.

In this Letter, we perform an angular analysis of $\Lambda_b^0 \rightarrow J/\psi (\rightarrow \mu^+ \mu^-) \Lambda (\rightarrow p \pi^-)$ decays using 1.0 fb$^{-1}$ of $pp$ collision data collected in 2011 with the LHCb detector [11] at the LHC at $\sqrt{s} = 7$ TeV. Owing to the well-measured $\Lambda \rightarrow p \pi^-$ decay asymmetry parameter ($\alpha_\Lambda$) [12] and the known behaviour of the decay of a vector particle into two leptons, the final state angular distribution contains sufficient information to measure the $\Lambda_b^0$ production polarisation and the decay amplitudes [13]. The asymmetry of the $\bar{\Lambda}$ decay ($\alpha_{\bar{\Lambda}}$) is much less precisely measured [12], however by neglecting possible $CP$ violation effects, which are predicted to be very small in the SM [14,15], $\alpha_\Lambda$ and $-\alpha_{\bar{\Lambda}}$ can be assumed to be equal. Similarly, $CP$ violation effects in $\Lambda_b^0$ decays are neglected, and the decay amplitudes of the $\Lambda_b^0$ and $\bar{\Lambda}_b^0$ are therefore assumed to be equal. Inclusion of charge-conjugated modes is henceforth implied. The asymmetry parameter $\alpha_b$ in $\Lambda_b^0 \rightarrow J/\psi \Lambda$ decays, defined in Section 2, is calculated in many publications as summarised in Table 1. Most predictions lie in the range from $-21\%$ to $-10\%$ while Ref. [7] obtains a large positive value using HQET. Note that the theoretical predictions depend on the calculations of the form-factors and experimental input that were available at the time they were made.

It should be noted that $\Lambda_b^0$ baryons can also be produced in the decay of heavier $b$ baryons [21–23], where the polarisation is partially diluted [6]. These strong decays are experimentally difficult to distinguish from $\Lambda_b^0$ that hadronise directly from a $pp$ collision and therefore contribute to the measurement presented in this study.

A sufficiently large $\Lambda_b^0$ polarisation would allow the photon helicity in $\Lambda_b^0 \rightarrow \Lambda \gamma$ and $\bar{\Lambda}_b^0 \rightarrow \bar{\Lambda} \gamma$ decays to be probed [6,24,25]. The photon helicity is sensitive to contributions from beyond the SM.

2. Angular formalism

The $\Lambda_b^0$ spin has not yet been measured but the quark model prediction is spin $\frac{1}{2}$. The $\Lambda_b^0 \rightarrow J/\psi \Lambda$ mode is therefore the decay

Table 1

<table>
<thead>
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<th>Method</th>
<th>Value</th>
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of a spin $\frac{1}{2}$ particle into a spin 1 and a spin $\frac{1}{2}$ particle. In the helicity formalism, the decay can be described by four $\mathcal{M}_{\lambda_1\lambda_2}$ helicity amplitudes ($\mathcal{M}_{1,0}, \mathcal{M}_{-1,0}, \mathcal{M}_{-1,-1}$ and $\mathcal{M}_{1,1}$) where $\lambda_1$ ($\lambda_2$) is the helicity of the $\Lambda$ ($J/\psi$) particle. The angular distribution of the decay ($d\Gamma/d\Omega$) is calculated in Ref. [13] and reported in Ref. [26]. It depends on the five angles shown in Fig. 1. The first angle, $\theta$, is the polar angle of the $\Lambda$ momentum in the $\Lambda_0^b$ rest-frame with respect to $\vec{n} = (\vec{p}_{J/\psi} \times \vec{p}_{\text{beam}})/|\vec{p}_{J/\psi} \times \vec{p}_{\text{beam}}|$, a unit vector perpendicular to the production plane. The second and third angles are $\theta_1$ and $\phi_1$, the polar and azimuthal angles of the proton in the $\Lambda$ rest-frame and calculated in the coordinate system defined by $\vec{z}_1 = \vec{p}_{\Lambda}/|\vec{p}_{\Lambda}|$ and $\vec{y}_1 = (\vec{n} \times \vec{p}_{\Lambda})/|\vec{n} \times \vec{p}_{\Lambda}|$. The remaining angles are $\theta_2$ and $\phi_2$, the polar and azimuthal angles of the positively-charged muon in the $J/\psi$ rest-frame and calculated in the coordinate system defined by $\vec{z}_2 = \vec{p}_{J/\psi}/|\vec{p}_{J/\psi}|$ and $\vec{y}_2 = (\vec{n} \times \vec{p}_{J/\psi})/|\vec{n} \times \vec{p}_{J/\psi}|$. The angular distribution also depends on the four $\mathcal{M}_{\lambda_1\lambda_2}$ amplitudes, on the $\alpha_\Lambda$ parameter, and on the transverse polarisation parameter $P_b$, the projection of the $\Lambda_0^b$ polarisation vector on $\vec{n}$.

Assuming that the detector acceptance over $\phi_1$ and $\phi_2$ is uniformly distributed, the analysis can be simplified by integrating over the two azimuthal angles

$$\frac{d\Gamma}{d\Omega_2} (\cos \theta, \cos \theta_1, \cos \theta_2)$$

$$= \int_{-\pi}^{\pi} \int_{-\pi}^{\pi} \frac{d\Gamma}{d\Omega_2} (	heta, \theta_1, \theta_2) \, d\phi_1 \, d\phi_2$$

$$= \frac{1}{16\pi^2} \sum_{i=0}^{7} \left[ f_i (|\mathcal{M}_{1,0}|^2, |\mathcal{M}_{-1,0}|^2, |\mathcal{M}_{-1,-1}|^2, |\mathcal{M}_{1,1}|^2) \right]$$

$$\times g_i (P_b, \alpha_\Lambda) b_i (\cos \theta, \cos \theta_1, \cos \theta_2). \quad (1)$$

The functions describing the decay only depend on the magnitudes of the $\mathcal{M}_{\lambda_1\lambda_2}$ amplitudes, on $P_b$ and $\alpha_\Lambda$, and on $\cos \theta$, $\cos \theta_1$, and $\cos \theta_2$. The normalisation condition $|\mathcal{M}_{1,0}|^2 + |\mathcal{M}_{-1,0}|^2 + |\mathcal{M}_{-1,-1}|^2 + |\mathcal{M}_{1,1}|^2 = 1$. The $f_i$ functions can be written in terms of the following three parameters: $\alpha_0 \equiv |\mathcal{M}_{1,0}|^2 - |\mathcal{M}_{-1,0}|^2 - |\mathcal{M}_{-1,-1}|^2 + |\mathcal{M}_{1,1}|^2$, $r_0 \equiv |\mathcal{M}_{1,0}|^2 + |\mathcal{M}_{-1,0}|^2$ and $r_1 \equiv |\mathcal{M}_{1,1}|^2 - |\mathcal{M}_{-1,0}|^2$. The functions used to describe the angular distributions are shown in Table 2. Four parameters ($P_b, \alpha_0, r_0$ and $r_1$) have to be measured simultaneously from the angular distribution. The $\alpha_0$ parameter is the parity violating asymmetry characterising the $\Lambda_0^b \to J/\psi \Lambda$ decay.

Table 2

<table>
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<td>$f_1$</td>
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<td>$f_3$</td>
<td>$</td>
</tr>
<tr>
<td>$f_4$</td>
<td>$</td>
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</tbody>
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3. Detector, trigger and simulation

The LHCb detector [11] is a single-arm forward spectrometer covering the pseudorapidity range $2 < \eta < 5$, designed for the study of particles containing $b$- or $c$-quarks. The detector includes a high precision tracking system consisting of a silicon-strip vertex detector (VELO) surrounding the $pp$ interaction region, a large-area silicon-strip detector located upstream of a dipole magnet with a bending power of about 4 Tm, and three stations of silicon-strip detectors and straw drift tubes placed downstream. The combined tracking system provides a momentum measurement with relative uncertainty that varies from 0.4% at 5 GeV/c to 0.6% at 100 GeV/c, and three-dimensional impact parameter (IP) resolution of 20 μm for tracks with high transverse momentum. Charged hadrons are identified using two ring-imaging Cherenkov detectors (RICH) [27]. Photon, electron and hadron candidates are identified by a calorimeter system consisting of scintillating-pad and preshower detectors, an electromagnetic calorimeter and a hadrronic calorimeter. Muons are identified by a system composed of alternating layers of iron and multiwire proportional chambers [28]. The trigger [29] consists of a hardware stage, based on information from the calorimeter and muon systems, followed by a software stage, which applies a full event reconstruction.

The hardware trigger selects events containing a muon with a transverse momentum, $p_T > 1.48$ GeV/c or two muons with a product of their $p_T$ larger than $(1.3 \text{ GeV/c})^2$. In the subsequent software trigger, we require two oppositely-charged muons having an invariant mass larger than 2800 MeV/c² and originating from the same vertex, or a single muon with $p_T > 1.3$ GeV/c and being significantly displaced with respect to all the primary $pp$ interaction vertices (PVs) in the event, or a single muon with $p_T > 1.7$ GeV/c. Displaced muons are identified by means of their IP and $\chi^2_0$, where the $\chi^2_0$ is the $\chi^2$ difference when the PV is fitted with or without the muon track. Finally, we require two oppositely-charged muons with an invariant mass within 120 MeV/c² of the nominal $J/\psi \Lambda$ mass [12] forming a common vertex which is significantly displaced from the PV. Displaced $J/\psi$ vertices are identified by computing the vertex separation $x^2$, the $\chi^2$ difference between the PV and the $J/\psi$ vertex. In the $\Lambda_0^b \to J/\psi \Lambda$ selection described below, we use the muon pairs selected by the trigger.

Simulation is used to understand the detector efficiencies and resolutions and to train the analysis procedure. Proton–proton collisions are generated using Pythia 6.4 [30] with a specific LHCb configuration [31]. Decays of hadronic particles are described byEvtGen [32] in which final state radiation is generated usingPhotos [33]. The interaction of the generated particles with the detector and its response are implemented using the Geant4 toolkit [34] as described in Ref. [35].

4. Signal selection and background rejection

A first set of loose requirements is applied to select $\Lambda_0^b \to J/\psi \Lambda$ decays. Charged tracks are identified as either protons or pions using information provided by the RICH system. Candidate $\Lambda$ baryons are reconstructed from oppositely-charged proton and pion candidates. They are reconstructed either when the $\Lambda$ decays...
within the VELO (“long $\Lambda$”), or when the decay occurs outside the VELO acceptance (“downstream $\Lambda$”). The latter category increases the acceptance significantly for long-lived $\Lambda$ decays. In both cases, the two tracks are required to have $p_T > 2$ GeV/c, to be well separated from the PVs and to originate from a common vertex. In addition, protons are required to have $p_T > 0.5$ GeV/c and pions to have $p_T > 0.1$ GeV/c. Finally, the invariant mass of the $\Lambda$ candidates is required to be within 15 MeV/$c^2$ of the nominal $\Lambda$ mass [12]. To form $J/\psi$ candidates, two oppositely-charged muons with $p_T > 0.5$ GeV/c are combined and their invariant mass is required to be within 80 MeV/$c^2$ of the nominal $J/\psi$ mass. Subsequently, $A_0^0$ candidates are formed by combining the $\Lambda$ and $J/\psi$ candidates. To improve the $A_0^0$ mass resolution, the muons from the $J/\psi$ decay are constrained to come from a common point and to have an invariant mass equal to the $J/\psi$ mass. We constrain the $\Lambda$ and $J/\psi$ candidates to originate from a common vertex and to have an invariant mass between 5120 and 6120 MeV/$c^2$. Moreover, $A_0^0$ candidates must have their momenta pointing to the associated PV by requiring $\cos \theta_{\Lambda} > 0.99$ where $\theta_{\Lambda}$ is the angle between the $A_0^0$ momentum vector and the direction from the PV to the $A_0^0$ vertex. The associated PV is the PV having the smallest $\chi^2_{IP}$ value.

To reduce the combinatorial background, a multivariate selection based on a boosted decision tree (BDT) [36,37] with eight variables is used. Five variables are related to the $A_0^0$ candidate: $\cos \theta_{\Lambda}$, the $\chi^2_{IP}$, the proper decay time, the vertex $\chi^2$ and the vertex separation $\chi^2$ between the PV and the vertex. Here, the vertex separation $\chi^2$ is the difference in $\chi^2$ between the nominal vertex fit and a vertex fit where the $A_0^0$ is assumed to have zero lifetime. The proper decay time is the distance between the associated PV and the $A_0^0$ decay vertex divided by the $A_0^0$ momentum. Two variables are related to the $J/\psi$ candidate: the vertex $\chi^2$ and the invariant mass of the two muons. The last variable used in the BDT is the invariant mass of the $\Lambda$ candidate. The BDT is using simulation for signal and sideband data ($M(J/\psi \Lambda) > 5800$ MeV/$c^2$) for background in its training. The optimal BDT requirement is found separately for downstream and long candidates by maximising the signal significance $N_{sig}/\sqrt{N_{sig} + N_{bkg}}$, where $N_{sig}$ and $N_{bkg}$ are the expected signal and background yields in a tight signal region around the $A_0^0$ mass. These two yields are estimated using the signal and background yields measured in data after the first set of loose requirements and using the BDT efficiency measured with the training samples. The BDT selection keeps about 90% of the signal while removing about 80% (90%) of the background events for the downstream (long) candidates. Less background is rejected in the downstream case due to larger contamination from misreconstructed $B^0 \to J/\psi K^0_S$ background decays. Candidates with $5550 < M(J/\psi \Lambda) < 5700$ MeV/$c^2$ are used for the final analysis. In this mass range, the $B^0 \to J/\psi K^0_S$ background is found to have a similar shape as the combinatorial background.

5. Fitting procedure

An unbinned extended maximum likelihood fit to the mass distribution of the $A_0^0$ candidates is performed. The likelihood function is defined as

$$\mathcal{L}_{mass} = \frac{e^{-\sum_j N_j}}{N!} \times \prod_{i=1}^{N} \left( \sum_j N_j P_j (M_i(J/\psi \Lambda)) \right),$$

where $i$ runs over the events, $j$ runs over the different signal and background probability density functions (PDFs), $N_j$ are the yields and $P_j$ the PDFs. The sum of two Crystal Ball functions [38] with opposite side tails and common mean and width parameters is used to describe the signal mass distribution. The mean and width parameters are left free in the fit while the other parameters are taken from the simulated signal sample. The background is modelled with a first-order polynomial function. The candidates reconstructed from downstream and long $\Lambda$ combinations are fitted separately taking into account that the resolution is worse for the downstream signal candidates. The results of the fits to the mass distributions are shown in Fig. 2. We obtain $5346 \pm 96$ (5189 ± 95) downstream and $1861 \pm 49$ (761 ± 36) long signal (background) candidates. Using the results of this fit, sWeights ($w_{mass}$) are computed by means of the sPlot technique [39], in order to statistically subtract the background in the angular distribution.

To ensure accurate modelling of the signal, corrections to the $p_T$ and rapidity ($y$) spectra are obtained by comparing the simulation with data by means of the sPlot technique. For the $A_0^0$ and $\Lambda$ particles, the simulated data is corrected using two-dimensional ($p_T$, $y$) distributions in order to better reproduce the data. These distributions do not depend on the polarisation and the decay amplitudes but have an impact on the reconstruction acceptance. The same procedure is used on the pion of $B^0 \to J/\psi K^0_S$ decays and is subsequently used to calibrate the ($p_T$, $y$) spectrum of the pion of the $A_0^0 \to J/\psi \Lambda$ decay.

Since the detector acceptance depends on the three decay angles, the acceptance is modelled with a sum of products of Legendre polynomials ($L_i$)

$$f_{acc} = \sum_{i,j,k} c_{ijk} L_i (\cos \theta) L_j (\cos \theta_1) L_k (\cos \theta_2),$$

where $i$ and $k$ are chosen to be even or equal to one. Unbinned maximum likelihood fits to the simulated signal candidates are performed, separately for downstream and long candidates. The simulated is produced using a phase-space model and unpolarised
Λ^0_b baryons. The three angular distributions are therefore uniformly generated. Acceptances of the Λ^0_b and Λ^0_b̄ decays are found to be statistically consistent. A common acceptance function is therefore used. The maximum orders of the Legendre polynomials are chosen by comparing the fit probability. The requirements i < 5, j < 4, k < 5 and i + j + k < 9 are chosen. The results of the fit to the acceptance distributions are shown in Fig. 3.

We then perform an unbinned likelihood fit to the (cos θ, cos θ_1, cos θ_2) distribution. Each candidate is weighted with w_{tot} = w_{mass} × w_{acc} where w_{mass} subtracts the background and w_{acc} = 1/f_{acc}(cos θ, cos θ_1, cos θ_2) corrects for the angular acceptance [40]. The sum of the w_{mass} weights over all the events is by construction equal to the signal yield, and w_{tot} is normalised in the same way. Since the weighting procedure performs background subtraction and corrects for acceptance effects, only the signal PDF has to be included in the fit of the angular distribution. The detector resolution is neglected in the nominal fit as it is found to have little effect on the results. It will be considered as source of systematic uncertainty. The likelihood is therefore

$$L_{\text{ang}} = \prod_{i=1}^{N} w_{tot}^{i} \frac{d\Gamma}{d\Omega} (\cos \theta^i, \cos \theta_1^i, \cos \theta_2^i),$$

where i runs over all events. A simultaneous fit to the angular distributions of the downstream and long samples is performed. The α_A parameter is fixed to its measured value, 0.642 ± 0.013 [12].

The accurate modelling of the acceptance is checked with a similar decay, B^0 → J/ψ K^0_s. Here, the angular distribution is known, and B^0 mesons are unpolarised. These decays are selected in the same way as signal, and the fitting procedure described above is performed. Agreement with the expected (cos θ, cos θ_1, cos θ_2) distribution is obtained.

6. Results

The results of the fits to the angular distributions of the weighted Λ^0_b → J/ψ Λ data are shown in Fig. 4. We obtain the following results: P_b = 0.06 ± 0.06, α_b = 0.00 ± 0.10, r_0 = 0.58 ± 0.02 and r_1 = −0.58 ± 0.06, where the uncertainties are statistical only.

The polarisation could be different between Λ^0_b and Λ^0_b̄ due to their respective production mechanisms. The data are separated according to the Λ^0_b flavour and fitted using the same amplitude parameters but different parameters for the Λ^0_b and Λ^0_b̄ polarisations. As compatible results are obtained within statistical uncer-
tainties, the polarisations of $A^0_{bJ}$ and $\overline{A}^0_{bJ}$ baryons are assumed to be equal.

A possible bias is investigated by fitting samples of generated experiments with sizes and parameters close to those measured in data. We generate many samples varying $\alpha_b$ between $-0.25$ to $0.25$ while keeping $r_0$ equal to $-r_1$, thus keeping $|M_{\pm \frac{1}{2},0}|^2$ and $|M_{\pm \frac{1}{2},1}|^2$ equal to zero. We find that the fitting procedure biases all parameters toward negative values, slightly for $p_b$ and $r_0$ ($\sim 10\%$ of their respective statistical uncertainties) and more significantly for $\alpha_b$ and $r_1$ ($\sim 40\%$ of their respective statistical uncertainties). For $p_b$ and $r_0$, the biases do not change significantly when changing the value of $\alpha_b$ used to generate the simulated samples. On the other hand, the biases on $\alpha_b$ and $r_1$ do change, and the observed discrepancies are treated as systematic uncertainties. Moreover, the statistical uncertainties on the four fit parameters are underestimated: again slightly for $p_b$ and $r_0$ and significantly, by a factor of $\sim 1.7$, for $\alpha_b$ and $r_1$.

We correct the measured values and statistical uncertainties of the four fit parameters. The corrected statistical uncertainties are obtained by multiplying the covariance matrix with a correction matrix obtained from the study of the simulated samples. This correction matrix contains on its diagonal the squares of the widths of the pull distributions of the four fit parameters. The remaining entries of this matrix are set to zero as the correlation matrix computed with the results of the fits of the generated samples is found to be very close to the correlation matrix calculated when fitting the data.

Finally, the corrected result is $p_b = 0.06 \pm 0.07$, $\alpha_b = 0.05 \pm 0.17$, $r_0 = 0.58 \pm 0.02$, $r_1 = -0.56 \pm 0.10$, where the uncertainties are statistical only. The corrected statistical correlation matrix between the four fit parameters $(p_b, \alpha_b, r_0, r_1)$ is

$$
\begin{pmatrix}
1 & 0.10 & -0.07 & 0.13 \\
0.10 & 1 & -0.63 & 0.95 \\
-0.07 & -0.63 & 1 & -0.56 \\
0.13 & 0.95 & -0.56 & 1
\end{pmatrix}.
$$

Large correlations are not seen between the polarisation and the amplitude parameters. On the other hand, the amplitude parameters are strongly correlated with respect to each other, $\alpha_b$ and $r_1$ being almost fully correlated.

7. Systematic uncertainties and significance

The systematic uncertainty on each measured physics parameter is evaluated by repeating the fit to the data varying its input parameters assuming Gaussian distributions and taking into account correlations when possible. The systematic uncertainties are summarised in Table 3. They are dominated by the uncertainty arising from the acceptance function, the calibration of the simulated signal sample and the fit bias. The uncertainty related to the acceptance function is obtained by varying the coefficients of the Legendre function within their uncertainties and taking into account their correlations. For the calibration of our simulated data, the uncertainty is obtained when changing the $(p_T, y)$ calibrations of the $A^0_{bJ}$, $\Lambda$ and pion particles within their uncertainties and obtaining a new acceptance function. The function that is used to fit the data does not include the effect of the angular resolution. The angular resolution, obtained with simulated samples, is negligible for $\theta_1$ and $\theta_2$. However, it is large, up to $\sim 70\%$, for small values of $\theta_1$. The systematic uncertainty is obtained by fitting simulated samples in which the resolution effect is introduced. Effects of the deviation from an uniform acceptance in $\phi_1$ and $\phi_2$ assumed in Eq. (1) are found to be negligible. The simplification to use only one component to describe the background is found not to bias the result. Other systematic uncertainties are small or negligible. These are related to the signal mass PDF parameters, the background subtraction and $\alpha_A$. The uncertainty related to the background subtraction is obtained when varying the obtained result of the mass fit and computing the $w_{mass}$ weights again. The $\alpha_A$ parameter is varied within its measurement uncertainties [12].

To compare our results with a prediction on a parameter $p$, we compute the significance with respect to a $p_{test}$ value using a profile along $p$ of the likelihood function, i.e. the likelihood value obtained when varying $p$ and minimising with respect to the other parameters. A Monte Carlo integration is performed to include the systematic uncertainties in the likelihood profiles. We perform the fit to the data when varying all systematic uncertainties and obtain a likelihood profile for each fit of the data. The likelihood profile which includes all systematic uncertainties is then the average of all the obtained profiles. The significance is defined as $S(p = p_{test}) = \sqrt{2(\log L(p_{test}) - \log L(p_0))}$, where $L(p_0)$ is the likelihood value of the nominal fit. Significances are given in the concluding section of this Letter.

8. Conclusion

We have performed an angular analysis of about 7200 $A^0_{bJ} \to J/\psi (\to \mu^+\mu^-)\Lambda(\to p\pi^-)$ decays. The $A^0_{bJ} \to J/\psi \Lambda$ decay amplitudes are measured for the first time, and the $A^0_{bJ}$ production polarisation for the first time at a hadron collider. The results are

$p_b = 0.06 \pm 0.07 \pm 0.02,$

$\alpha_b = 0.05 \pm 0.17 \pm 0.07,$

$r_0 = 0.58 \pm 0.02 \pm 0.01,$

$r_1 = -0.56 \pm 0.10 \pm 0.05,$

which correspond to the four helicity amplitudes

$|M_{\pm \frac{1}{2},0}|^2 = 0.01 \pm 0.04 \pm 0.03,$

$|M_{\pm \frac{1}{2},1}|^2 = 0.57 \pm 0.06 \pm 0.03,$

$|M_{\pm \frac{1}{2},-1}|^2 = 0.51 \pm 0.05 \pm 0.02,$

$|M_{\pm \frac{1}{2},1}|^2 = -0.10 \pm 0.04 \pm 0.03,$

where the first uncertainty is statistical and the second systematic. The reported polarisation and amplitudes are obtained for the combination of $A^0_{bJ}$ and $\overline{A}^0_{bJ}$ decays. More data are required to probe any possible difference.

Our result cannot exclude a transverse polarisation at the order of $10\%$ [6]. However, a value of $20\%$ as mentioned in Ref. [7] is disfavoured at the level of 2.7 standard deviations.

For the $A^0_{bJ}$ asymmetry parameter, our result is compatible with the predictions ranging from $-21\%$ to $-10\%$ [16-20] but does not agree with the HQET prediction of $77.7\%$ [7] at 5.8 standard deviations.

Table 3

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</table>
Acknowledgements

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References


LHCb collaboration
